

CIS 4930: Secure IoT

Lecture 5

Prof. Kaushal Kafle

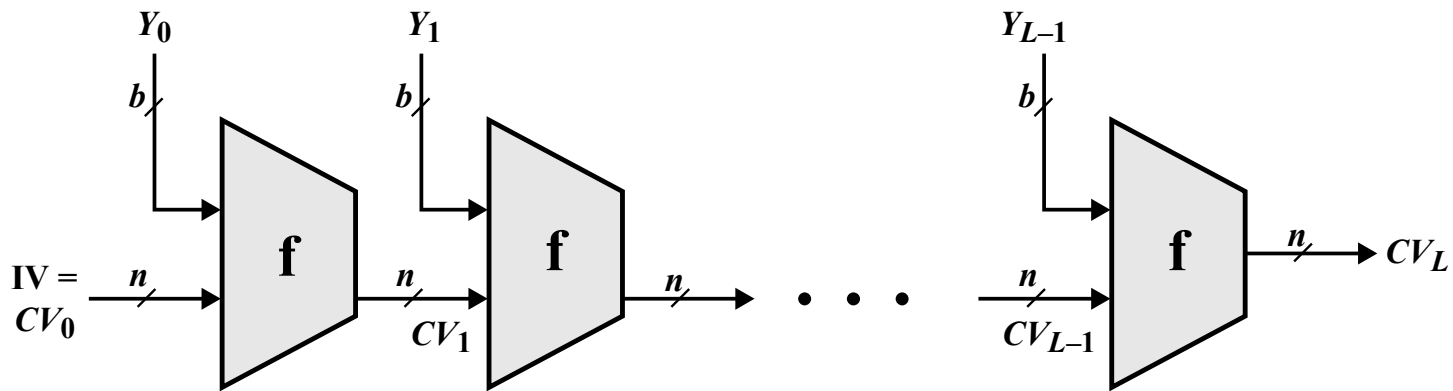
Class Notes

- Required to submit the finalized project for your team so meet with me **asap** to do that!
- Teams that have met -> submit the finalized proposal and begin work!
- **Midterm date: 10/15**

From Last Class

- Message Authentication Codes (MAC):
 - Generate and send a value computed using the original message and a secret key
 - Provides **authenticity** and **integrity**
- Hash functions:
 - One-way function to generate fixed-length *hash* (or *digest*)
 - One of the use-cases: **Generating MACs!**

General Structure of Hash



IV = Initial value
 CV_i = chaining variable
 Y_i = i th input block
 f = compression algorithm

L = number of input blocks
 n = length of hash code
 b = length of input block

(from Stallings, Crypto and Net Security)

Message Extension Attack

- Why is $\text{MAC}_k(M) = H(k|M)$ bad?
- How can Eve append M' to M ?
 - Goal: compute $H(k|M|M')$ without knowing k
- Solution: Use $H(k|M)$ as IV for next iteration in $H()$

A Better MAC

- Objectives
 - Use available hash functions without modification
 - Easily replace embedded hash function as more secure ones are found
 - Preserve original performance of hash function
 - Easy to use

HMAC

HMAC(k, M)

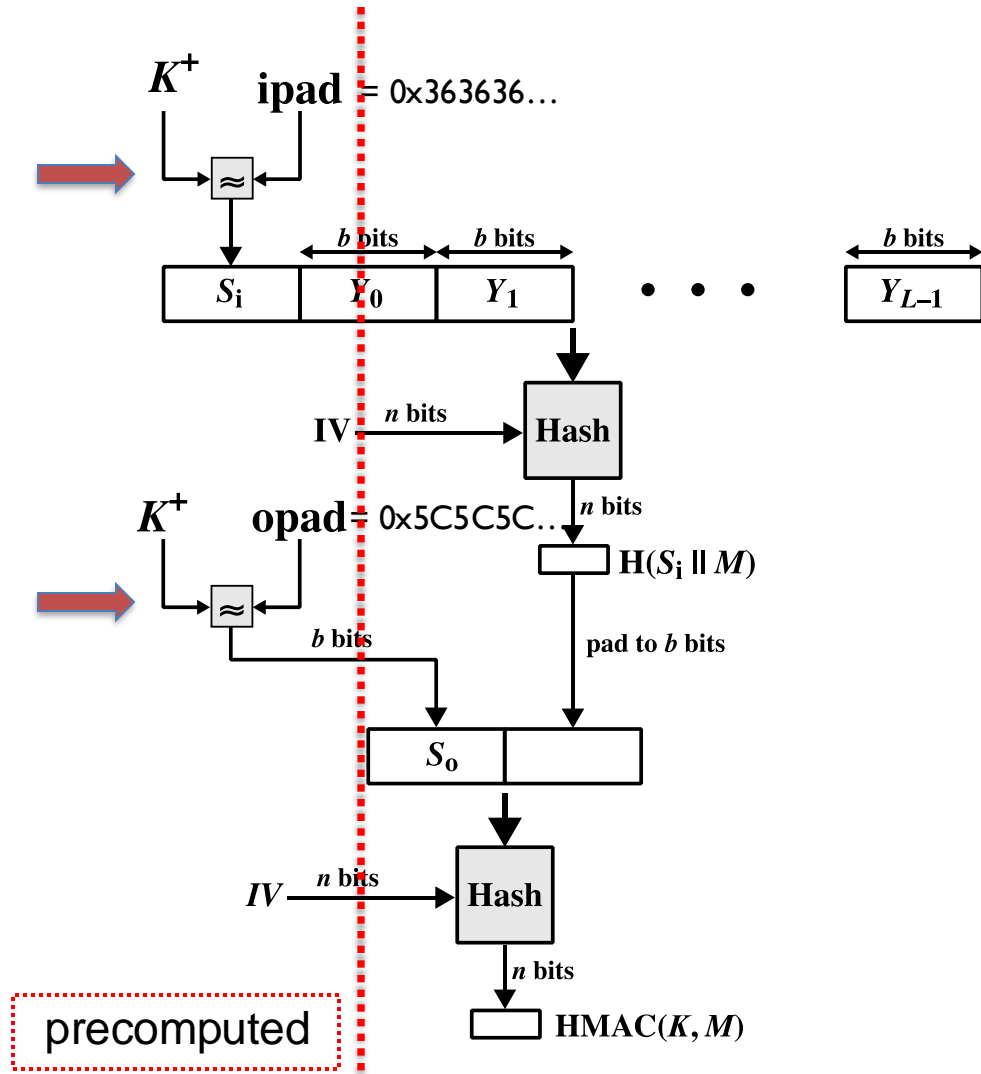


$H(k \oplus \text{opad} || H(k \oplus \text{ipad} || M))$

hash2

hash1

- Attacker cannot extend MAC as before
 - Try it out!



(from Stallings, Crypto and Net Security)

Basic truths of cryptography

- Cryptography is not frequently the source of security problems
- Algorithms are well known and widely studied
- Vetted through crypto community
- Avoid any “proprietary” encryption
- Claims of “new technology” or “perfect security” are almost assuredly **snake oil**



Building systems/apps with cryptography

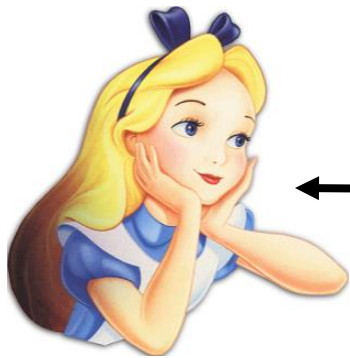
- Use quality libraries
 - SSLeay, cryptolib, openssl
 - Find out what cryptographers think of a package before using it
- Code review like crazy
- Educate yourself on how to use library
 - Understand caveats by original designer and programmer



Encryption and Message Authenticity

What's the hard part?

Src = Alice, Dest = Bob
Msg = $E_{k1}\{\{\text{"network security is fun"}, \text{MAC}_{k2}(\text{"network security is fun!"})\}\}$



Alice



Eve



Bob

Without knowing $k1$, Eve can't read Alice's message.

Without knowing $k2$, Eve can't compute a valid MAC for her forged message.

Private-key crypto is like a door lock



Why?

Public Key Crypto

(10,000 ft view)

- Separate keys for encryption and decryption
 - Public key: anyone can know this
 - Private key: kept confidential
- Anyone can encrypt a message to you using your public key
- The private key (kept confidential) is required to decrypt the communication
- Alice and Bob no longer have to have *a priori* shared a secret key

Public Key Cryptography

- Each key pair consists of a public and private component: k^+ (public key), k^- (private key)

$$D_{k^-} (E_{k^+} (m)) = m$$

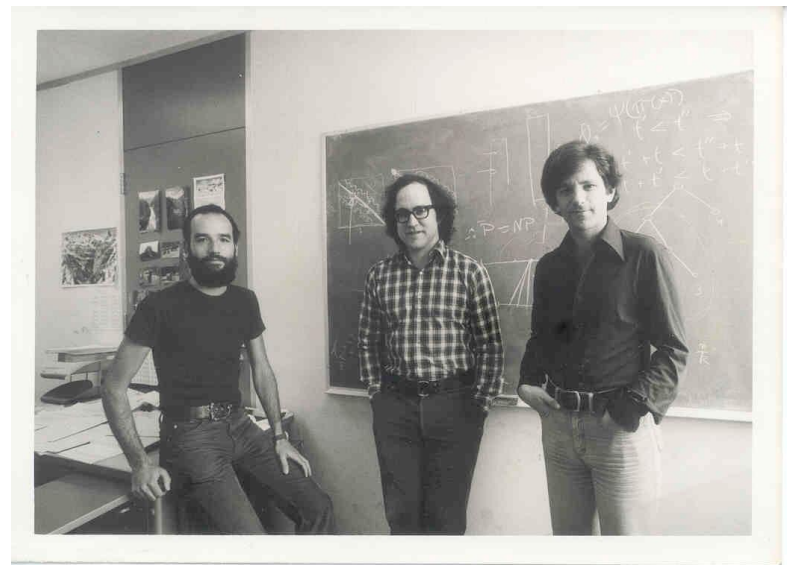
- Public keys are distributed (typically) through public key certificates
- Anyone can communicate secretly with you ***if they have your certificate***

RSA

(Rivest, Shamir, Adelman)

- The dominant public key algorithm
 - The algorithm itself is conceptually simple
 - Why it is secure is very deep (number theory)
 - Uses properties of exponentiation modulo a product of large primes

"A method for obtaining Digital Signatures and Public Key Cryptosystems", Communications of the ACM, Feb. 1978.



Modular Arithmetic

- Integers $Z_n = \{0, 1, 2, \dots, n-1\}$
- $x \bmod n =$ remainder of x divided by n
 - $5 \bmod 13 = 5$
 - $13 \bmod 5 = 3$
- y is **modular inverse** of x iff $xy \bmod n = 1$
 - E.g. $Z_{11} \rightarrow 4$ is inverse of 3 , 5 is inverse of 9 , 7 is inverse of 8
- If **n is prime**, then Z_n has modular inverses for all integers except 0

Euler's Totient Function

- **coprime**: having no common positive factors other than 1 (also called **relatively prime**)
 - 16 and 25 are coprime
 - 6 and 27 are not coprime
- **Euler's Totient Function**: $\Phi(n)$ = number of integers less than or equal to n that are coprime with n

$$\Phi(n) = n \cdot \prod_{p|n} \left(1 - \frac{1}{p}\right)$$

where product ranges over **distinct primes dividing n**

- If m and n are coprime, then $\Phi(mn) = \Phi(m)\Phi(n)$
- If m is prime, then $\Phi(m) = m - 1$

Euler's Totient Function

$$\Phi(n) = n \cdot \prod_{p|n} \left(1 - \frac{1}{p}\right)$$

$$\Phi(18) = \Phi(3^2 \cdot 2^1) = 18 \left(1 - \frac{1}{3}\right) \left(1 - \frac{1}{2}\right) = 6$$

For primes and co-primes:

If m and n are coprime, then $\Phi(mn) = \Phi(m)\Phi(n)$

If m is prime, then $\Phi(m) = m - 1$

RSA Key Generation

Example:

1. Choose distinct primes p and q
2. Compute $n = pq$
3. Compute $\Phi(n) = \Phi(pq) = \Phi(p)\Phi(q) = (p-1)(q-1)$
4. Randomly choose $1 < e < \Phi(pq)$ such that e and $\Phi(pq)$ are coprime. e is the **public key exponent**
5. Compute $d = e^{-1} \pmod{\Phi(pq)}$. d is the **private key exponent**

let $p=3, q=11$

$n=33$

$\Phi(pq) = (3-1)(11-1) = 20$

let $e=7$

$ed \pmod{\Phi(pq)} = 1$

$7d \pmod{20} = 1$

$d = 3$

RSA Encryption/Decryption

- Public key k^+ is $\{e,n\}$ and private key k^- is $\{d,n\}$
- Encryption and Decryption

$$E_{k^+}(M) : \text{ciphertext} = \text{plaintext}^e \bmod n$$

$$D_{k^-}(\text{ciphertext}) : \text{plaintext} = \text{ciphertext}^d \bmod n$$

- Example
 - **Public key (7,33), Private Key (3,33)**
 - Plaintext: 4
 - $E(\{7,33\},4) = 4^7 \bmod 33 = 16384 \bmod 33 = 16$
 - $D(\{3,33\},16) = 16^3 \bmod 33 = 4096 \bmod 33 = 4$

Is RSA Secure?

- $\{e, n\}$ is public information
- If you could **factor** n into $p * q$, then
 - could compute $\phi(n) = (p-1)(q-1)$
 - could compute $d = e^{-1} \bmod \phi(n)$
 - would know the private key $\langle d, n \rangle$!
- **But:** factoring large integers is hard!
 - classical problem worked on for centuries; no **known** reliable, fast method

Security (Cont' d)

- At present, key sizes of 1024 bits are considered to be secure, but **2048 bits is better**
- **Tips** for making n **difficult to factor**
 - 1.** p and q lengths should be similar (ex.: ~500 bits each if key is 1024 bits)
 - 2.** both $(p-1)$ and $(q-1)$ should contain a “large” prime factor
 - 3.** $\gcd(p-1, q-1)$ should be “small”
 - 4.** d should be larger than $n^{1/4}$

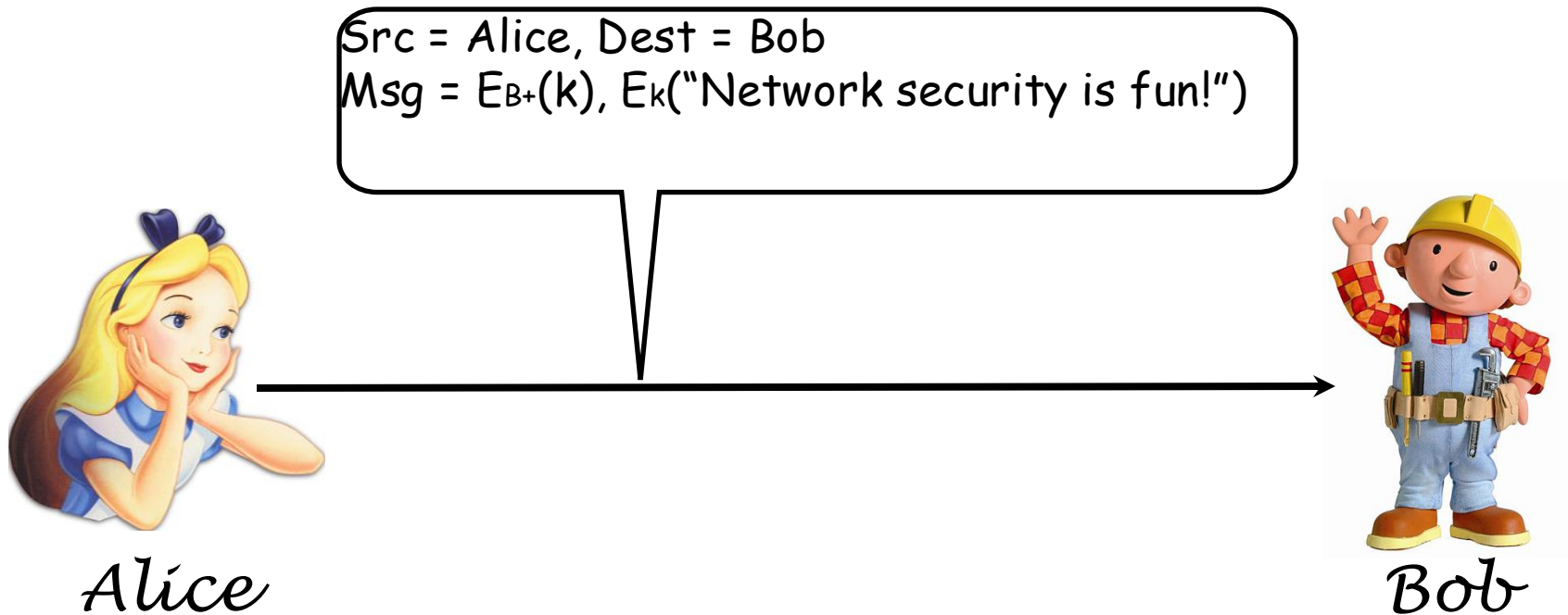
RSA

- Most public key systems use at least 1,024-bit keys
 - Key size not comparable to symmetric key algorithms
- RSA is *much slower* than most symmetric crypto algorithms
 - AES: ~161 MB/s
 - RSA: ~82 KB/s
- This is **too** slow to use for modern network communication!
- Solution: Use **hybrid model**

Hybrid Cryptosystems

- In practice, public-key cryptography is used to secure and distribute *session keys*.
- These keys are used with symmetric algorithms for communication.
- Sender generates a random session key, encrypts it using receiver's public key and sends it.
- Receiver decrypts the message to recover the session key.
- Both encrypt/decrypt their communications using the same key.
- Key is destroyed in the end.

Hybrid Cryptosystems



(B^+, B^-) is Bob's long-term public-private key pair.

k is the session key; sometimes called the **ephemeral key**.

Public Key Cryptography

- Each key pair consists of a public and private component: k^+ (public key), k^- (private key)

$$D_{k^-} (E_{k^+} (m)) = m$$

What happens if we flip the order?

Encryption using private key

- Encryption and Decryption

$$E_{k^-}(M) : \text{ciphertext} = \text{plaintext}^d \pmod n$$

$$D_{k^+}(\text{ciphertext}) : \text{plaintext} = \text{ciphertext}^e \pmod n$$

- E.g.,

- $E(\{3,33\},4) = 4^3 \pmod{33} = 64 \pmod{33} = 31$

- $D(\{7,33\},31) = 31^7 \pmod{33} = 27,512,614,111 \pmod{33} = 4$

- Q: *Why encrypt with private key?*

- *Non Repudiation!*

Digital Signatures

- A digital signature serves the same purpose as a real signature.
 - It is a mark that only sender can make
 - Other people can easily recognize it as belonging to the sender
- Digital signatures must be:
 - **Unforgeable**: If Alice signs message M with signature S , it is impossible for someone else to produce the pair (M, S) .
 - **Authentic**: If Bob receives the pair (M, S) and knows Alice's public key, he can check ("verify") that the signature is really from Alice
 - Example: Code signing

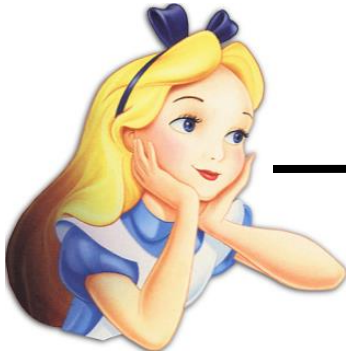
How can Alice *sign* a digital document?

- Digital document: M
- Since RSA is slow, hash M to compute digest: $m = h(M)$
- Signature: $\text{Sig}(M) = E_{k^-}(m) = m^d \bmod n$
 - Since only Alice knows k^- , only she can create the signature
- To verify: $\text{Verify}(M, \text{Sig}(M))$
 - Bob computes $h(M)$ and compares it with $D_{k^+}(\text{Sig}(M))$
 - Bob can compute $D_{k^+}(\text{Sig}(M))$ since he knows k^+ (Alice's public key)
 - If and only if they match, the signature is verified (otherwise, verification fails)

Putting it all together

Define $m = \text{"Network security is fun!"}$

Src = Alice, Dest = Bob
Msg = $E_{B^+}(k), E_k(m, E_{A^-}(h(m)))$



Alice



Bob

(A^+, A^-) is Alice's long-term public-private key pair.

(B^+, B^-) is Bob's long-term public-private key pair.

k is the session key; sometimes called the **ephemeral key**.

Birthday Attack and Signatures

- Since signatures depend on hash functions, they also depend on the hash function's collision resistance
- Don't use MD5, and start moving away from SHA1

Dear Anthony,

{This letter is} to introduce {you to} {Mr.} Alfred {P.}
{ I am writing} {to you} {--}

Barton, the {newly appointed} {chief} jewellery buyer for {our}
{the}

Northern {European} {area} . He {will take} over {the}
{Europe} {division} {has taken} {--}

responsibility for {all} our interests in {watches and jewellery}
{the whole of} {jewellery and watches}

in the {area} . Please {afford} him {every} help he {may need}
{region} {give} {all the} {needs}

to {seek out} the most {modern} lines for the {top} end of the
{find} {up to date} {high}

market. He is {empowered} to receive on our behalf {samples} of the
{authorized} {specimens}

{latest} {watch and jewellery} products, {up} to a {limit}
{newest} {jewellery and watch} {subject} {maximum}

of ten thousand dollars. He will {carry} a signed copy of this {letter}
{hold} {document}

as proof of identity. An order with his signature, which is {appended}
{attached}

{authorizes} you to charge the cost to this company at the {above}
{allows} {head office}

address. We {fully} expect that our {level} of orders will increase in
{--} {volume}

the {following} year and {trust} that the new appointment will {be}
{next} {hope} {prove}

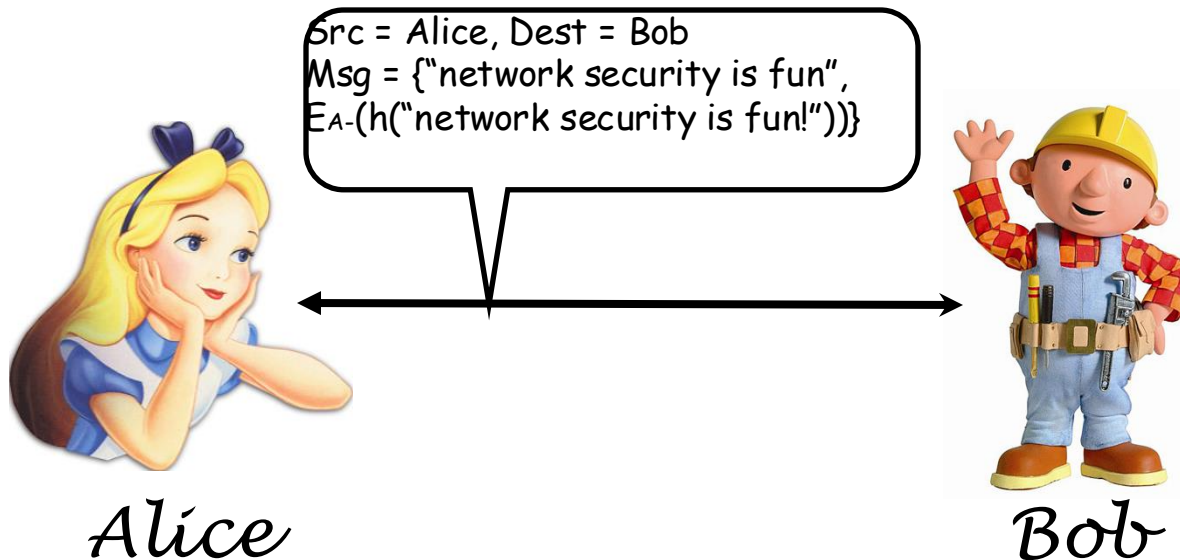
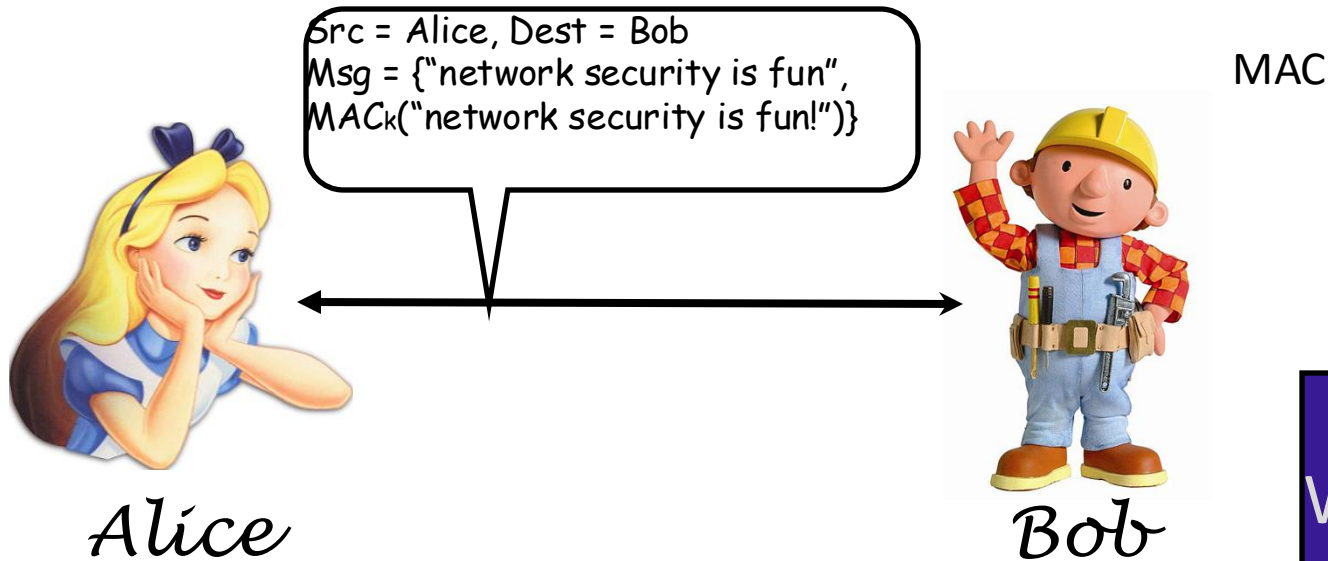
{advantageous} to both our companies.
{an advantage}

Figure 11.7 A Letter in 2^{37} Variations
(from Stallings, Crypto and Net Security)

Properties of a Digital Signature

- **No forgery possible:** No one can forge a message that is purportedly from Alice
- **Authenticity check:** If you get a signed message you should be able to verify that it's really from Alice
- **No alteration/Integrity:** No party can undetectably alter a signed message
- Provides authentication, integrity, and **non-repudiation** (cannot deny having signed a signed message)

Non-Repudiation



Which of these offer non-repudiation?

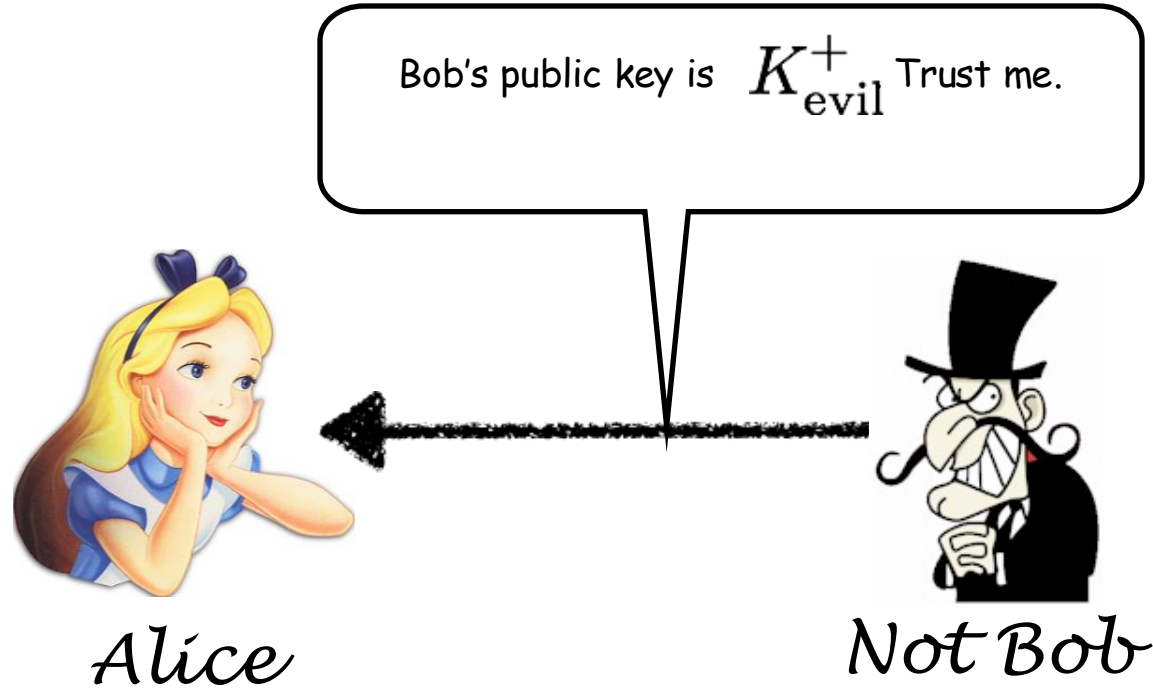
Public Key Crypto

(10,000 ft view)

- Separate keys for encryption and decryption
 - Public key: anyone can know this
 - Private key: kept confidential
- Anyone can encrypt a message to you using your public key
- The private key (kept confidential) is required to decrypt the communication
- Alice and Bob no longer have to have *a priori* shared a secret key

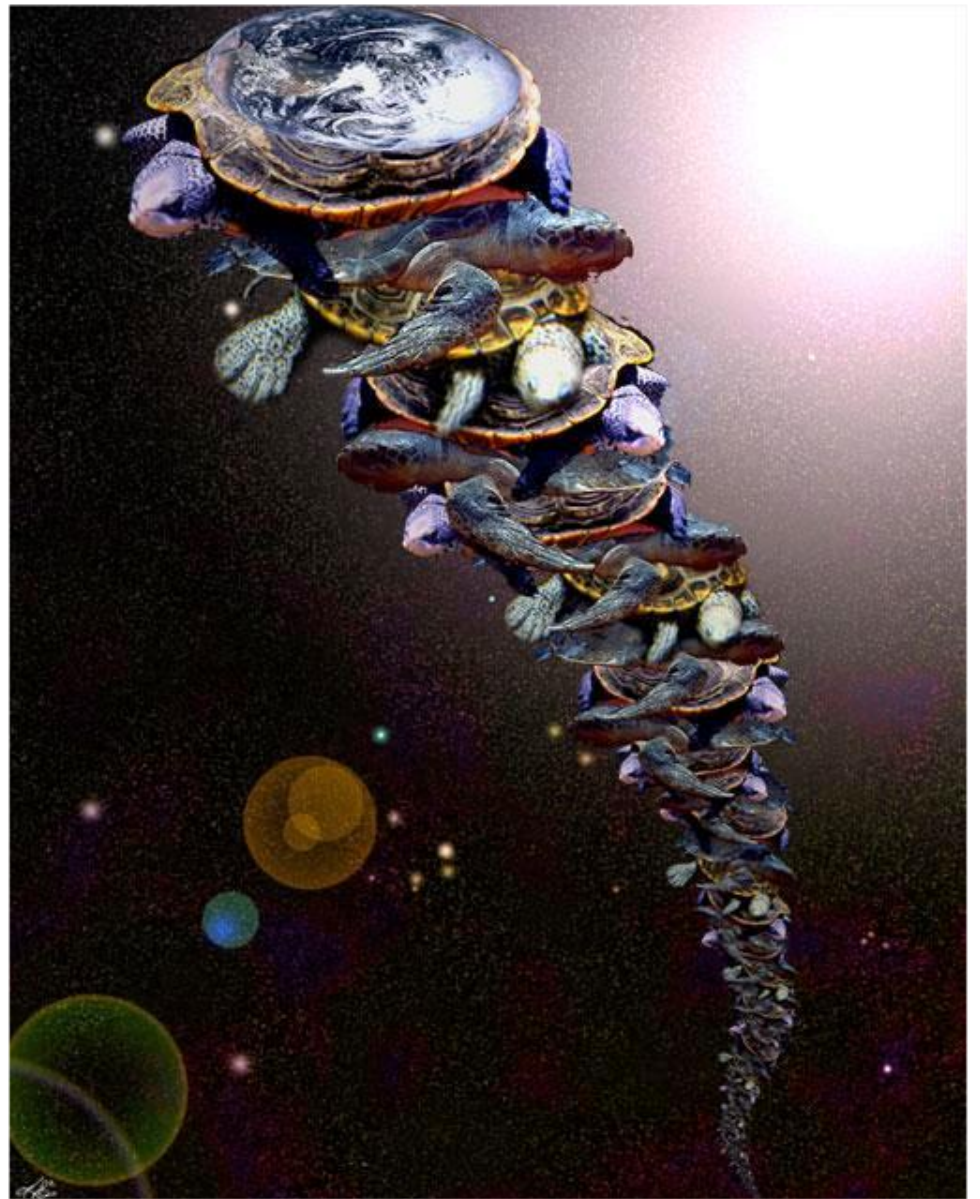
Problem? YES. *How do we know if Alice's key is really Alice's?*

But how do we *verify* we're using the correct public key?



Short
answer: We
can't.

It's turtles all
the way down.

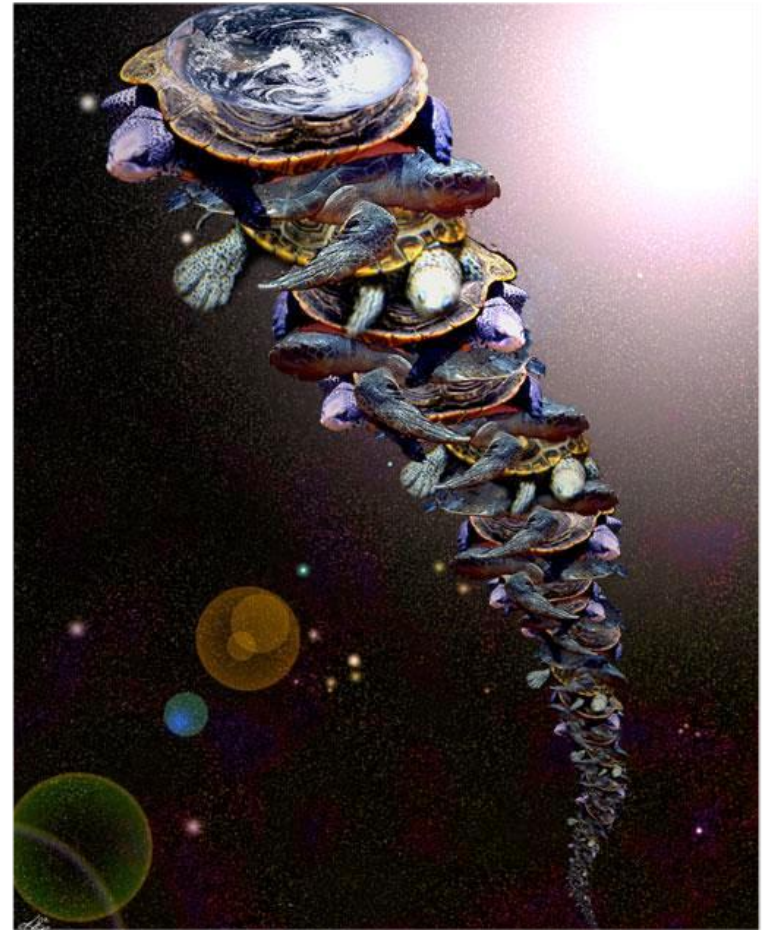


Why not just use a database?

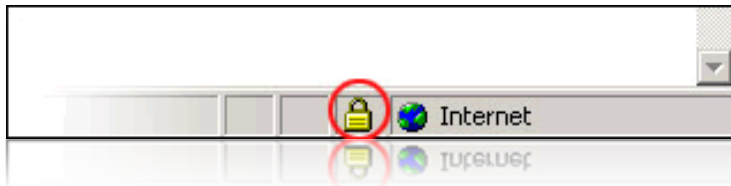
- Every user has his/her own public key and private key.
- Public keys are all published in a database.
- Alice gets Bob's public key from the database
- Alice encrypts the message and sends it to Bob using Bob's public key.
- Bob decrypts it using his private key.
- **What's the problem with this approach?**

Solving the Turtles Problem


- We need a **trust anchor**
- there must be someone with authority
- requires *a priori* trust
- Solution: form a trust hierarchy
 - “I believe **X** because...”
 - “**Y** vouches for **X** and...”
 - “**Z** vouches for **Y** and...”
 - “I implicitly trust **Z**.”



Browser Certificate



Class 3 Public Primary Certification Authority
↳ VeriSign Class 3 Public Primary Certification Authority - G5
↳ VeriSign Class 3 International Server CA - G3
↳ www.chase.com

 **www.chase.com**
Issued by: VeriSign Class 3 International Server CA - G3
Expires: Thursday, August 16, 2012 7:59:59 PM ET
✔ This certificate is valid

▼ **Details**

Subject Name _____
Country US
State/Province New Jersey
Locality Jersey City
Organization JPMorgan Chase
Organizational Unit CIG
Common Name www.chase.com

Issuer Name _____
Country US
Organization VeriSign, Inc.
Organizational Unit VeriSign Trust Network
Organizational Unit Terms of use at <https://www.verisign.com/rpa> (c)10
Common Name VeriSign Class 3 International Server CA - G3

Serial Number 61 5C 33 29 65 09 08 60 A4 E6 82 50 00 F6 22 F0
Version 3

Signature Algorithm SHA-1 with RSA Encryption (1 2 840 113549 1 1 5)
Parameters none

Not Valid Before Tuesday, August 16, 2011 8:00:00 PM ET
Not Valid After Thursday, August 16, 2012 7:59:59 PM ET

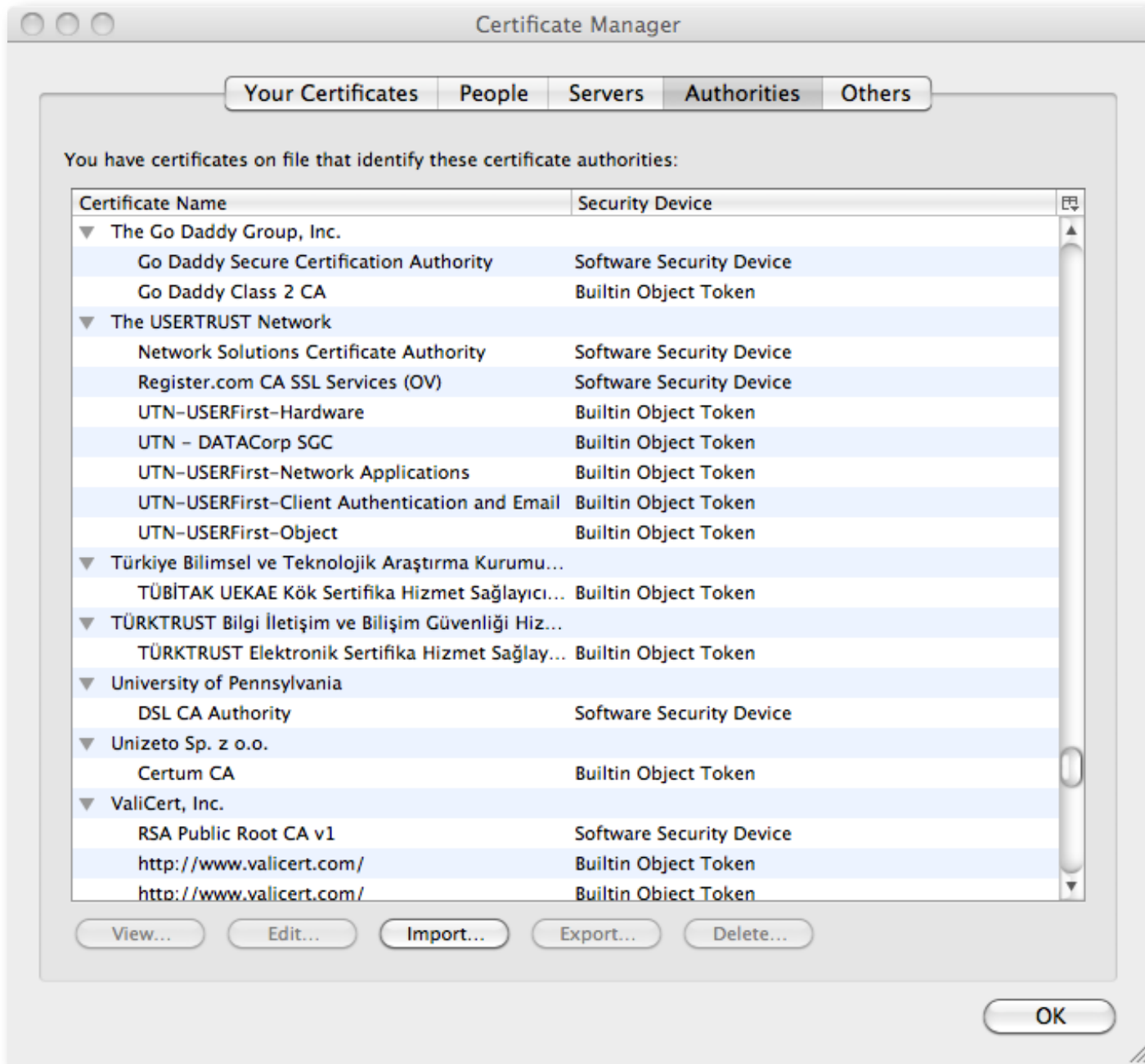
OK

What's a certificate?

- A certificate ...
 - ... **makes an association between an identity and a private key**
 - ... contains public key information $\{e,n\}$
 - ... has a validity period
 - ... is signed by some *certificate authority* (CA)
 - ... identity may have been vetted by a *registration authority* (RA)
- People trust CA (e.g., Verisign) to vet identity

Why do I trust the certificate?

- A collections of *“root” CA certificates (self-signed)*
 - ... baked into your browser
 - ... vetted by the browser manufacturer
 - ... supposedly closely guarded
 - *trust anchor*
- Root certificates used to validate certificate
 - Vouches for certificate’s authenticity





Your connection is not private

Attackers might be trying to steal your information from **www.csc.ncsu.edu** (for example, passwords, messages, or credit cards). NET::ERR_CERT_COMMON_NAME_INVALID

Automatically report details of possible security incidents to Google. [Privacy policy](#)

[Advanced](#)

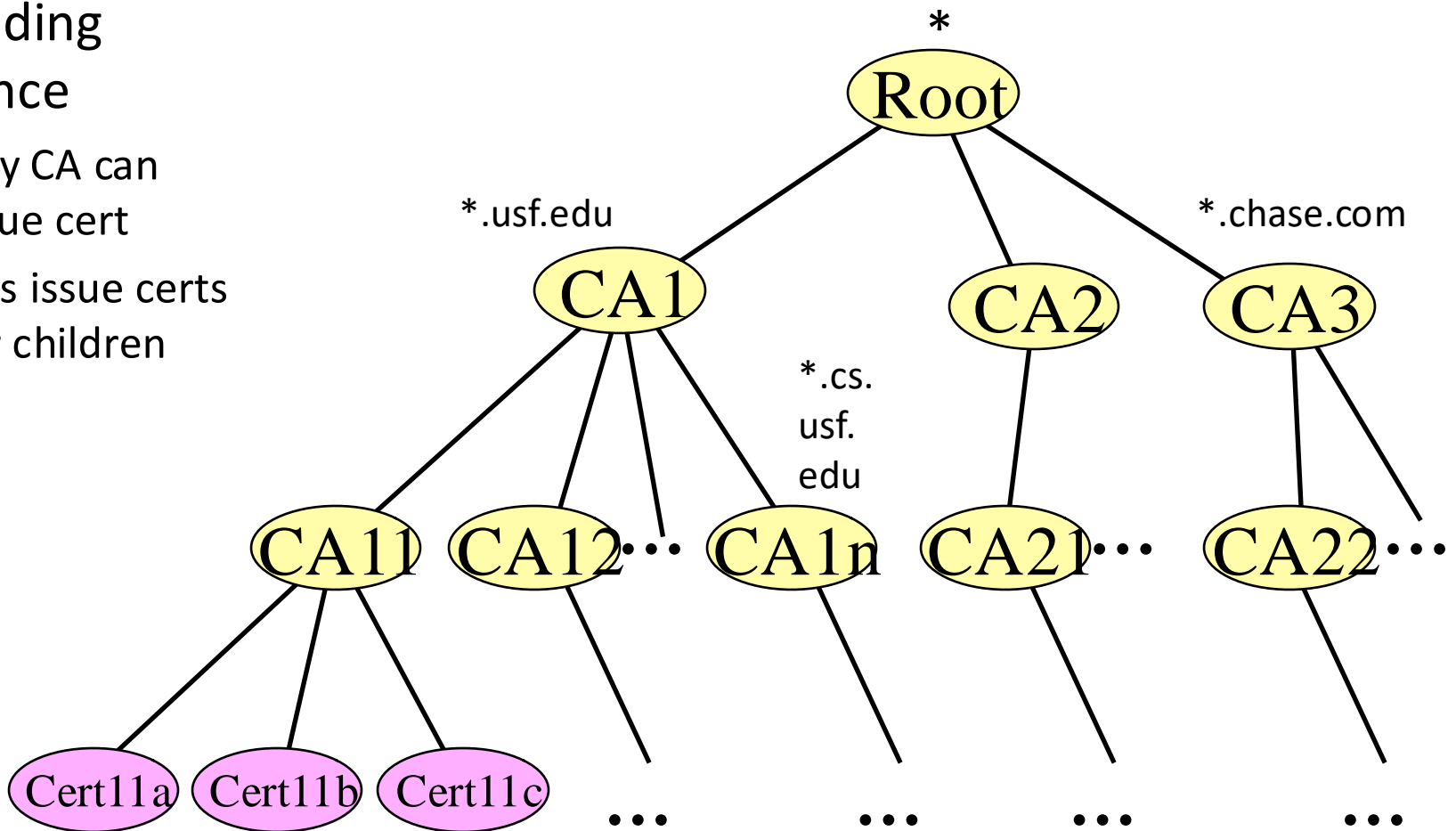
[Back to safety](#)

Public Key Infrastructure

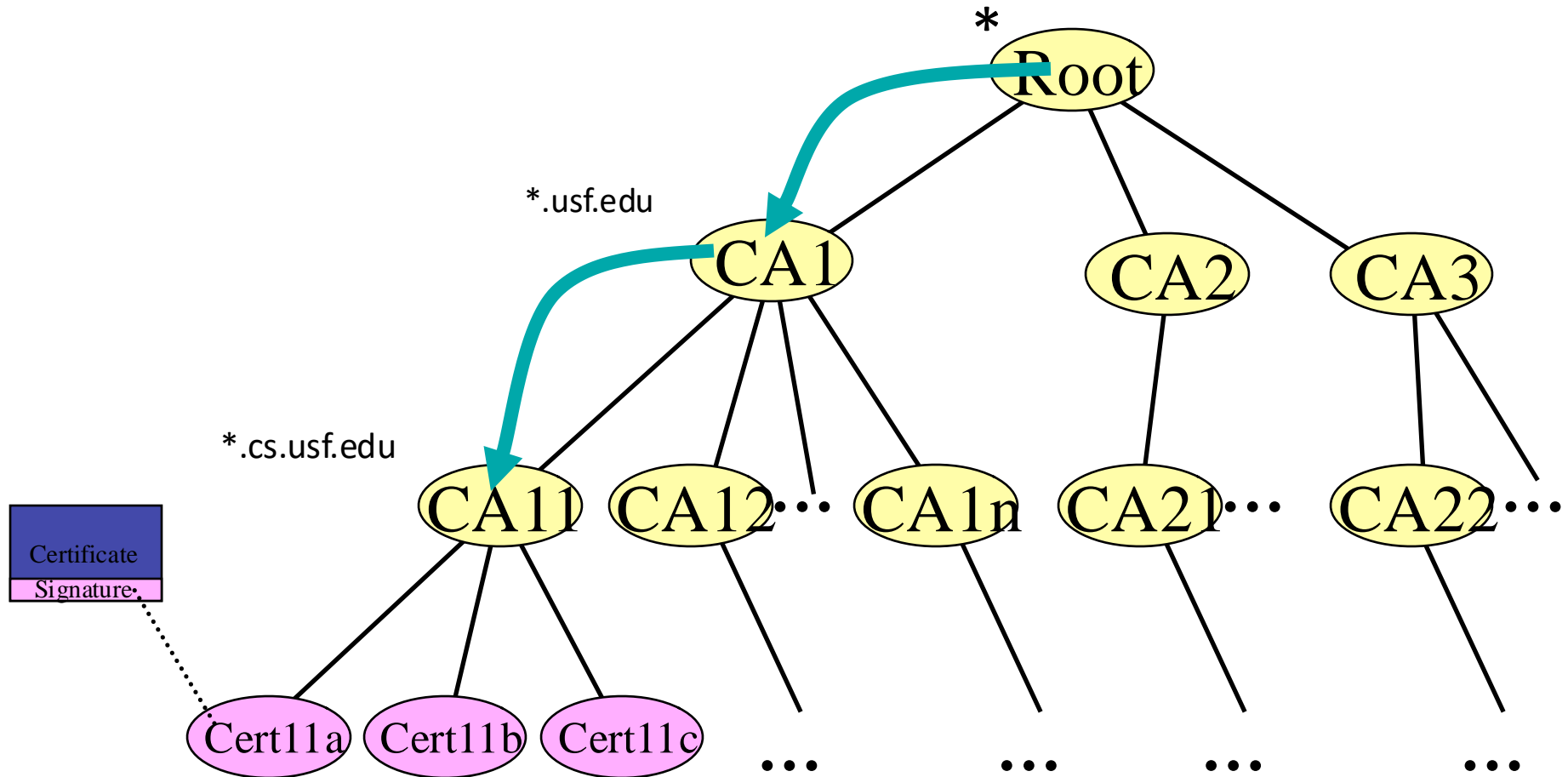
- Hierarchy of keys used to authenticate certificates
- Requires a **root of trust** (i.e., a **trust anchor**)

What is a PKI?

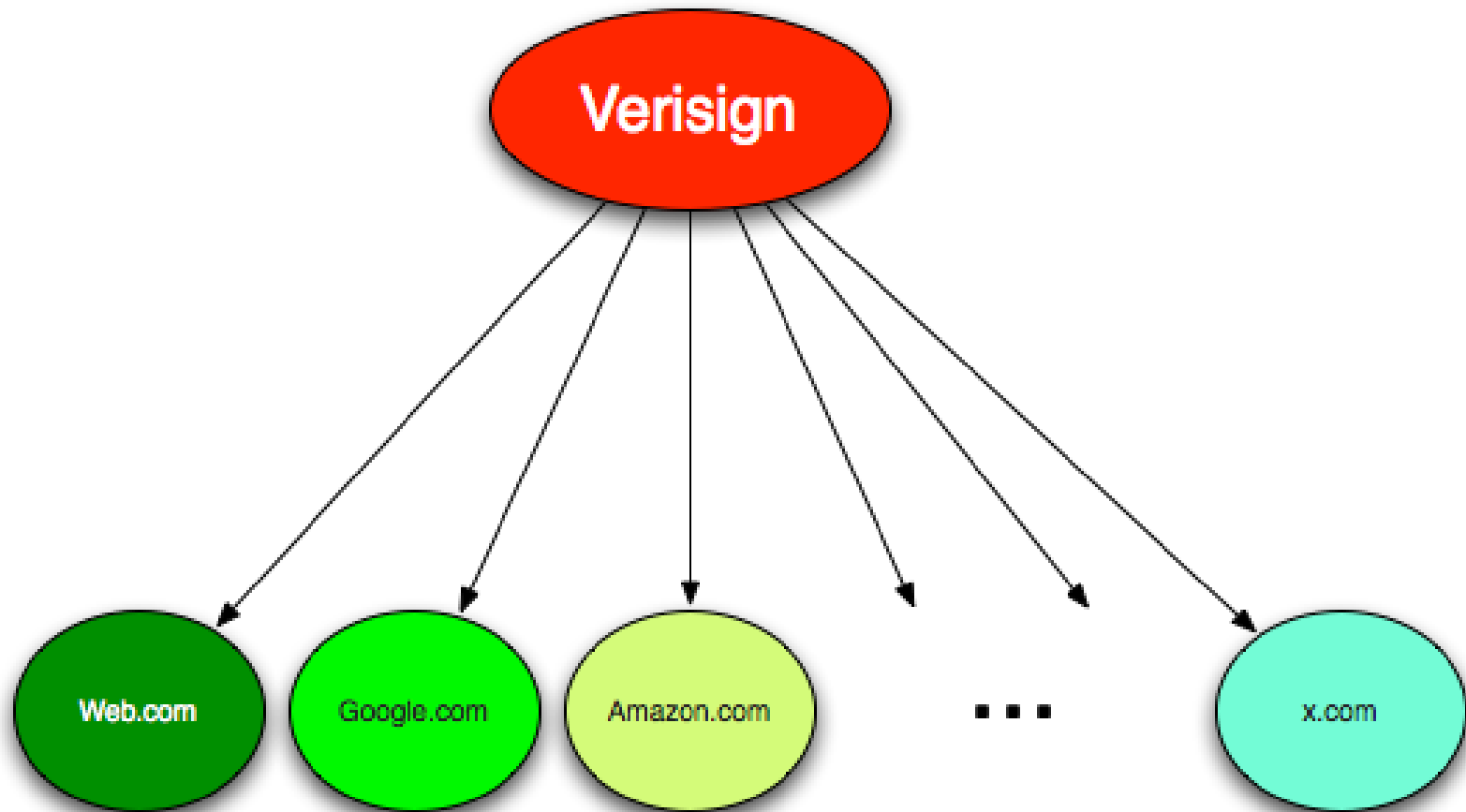
- Rooted tree of CAs
- Cascading issuance
 - Any CA can issue cert
 - CAs issue certs for children



Certificate Validation



PKIs in Reality



Obtaining a Certificate

1. Alice has some identity document A^{ID} and generates a keypair (A^-, A^+)
2. $A \rightarrow CA : \{A^+, A^{ID}\}, \text{Sig}(A^-, \{A^+, A^{ID}\})$
 - CA verifies signature -- proves Alice has A^-
 - CA may (and should!) also verify A^{ID} offline
3. CA signs $\{A^+, A^{ID}\}$ with its private key (CA^-)
 - CA attests to binding between A^+ and A^{ID}
4. $CA \rightarrow A : \{A^+, A^{ID}\}, \text{Sig}(CA^-, \{A^+, A^{ID}\})$
 - this is the certificate; Alice can freely publish it
 - anyone who knows CA^+ (and can therefore validate the CA's signature) knows that CA "attested to" $\{A^+, A^{ID}\}$
 - note that CA never learns A^-

- Any CA may sign any certificate
- Browser weighs all root CAs equally
- *Q: Is this problematic?*

The DigiNotar Incident

The screenshot shows the DigiNotar website homepage in a browser window. The browser's address bar displays "www.diginotar.com". The website header includes the DigiNotar logo (a stylized crown) and the text "DigiNotar A VASCO COMPANY". Navigation links for "HOME", "ANNOUNCEMENTS", "PRODUCTS", "BRANCH SOLUTIONS", "ABOUT DIGINOTAR", "PARTNERS", and "PROJECTS" are visible. A search bar is located on the right side of the header. The main banner features a woman looking at a laptop screen with the text: "Know for sure with whom you have an agreement. How do you check the identity of someone who's doing business online?". Below the banner, there are links for "EV SSL", "Contact", and "FAQ". A sidebar on the left lists services: "Managed PKI", "SSL Certificates", "SIM-ID", "Signing Service", and "DocProof". The main content area includes the text: "DigiNotar®, Internet Trust Provider. As independent Internet Trust Service Provider DigiNotar focuses on ensuring the integrity of information flow, and legal guarantees for all online information exchange. More information >>". There are also "Announcements" with links to "Publication report Fox-IT", "Cooperation Dutch government", and "DigiNotar reports security incident". A "GO EV SSL BUY NOW" graphic is at the bottom left, and the "VASCO A VASCO COMPANY" logo is at the bottom right.

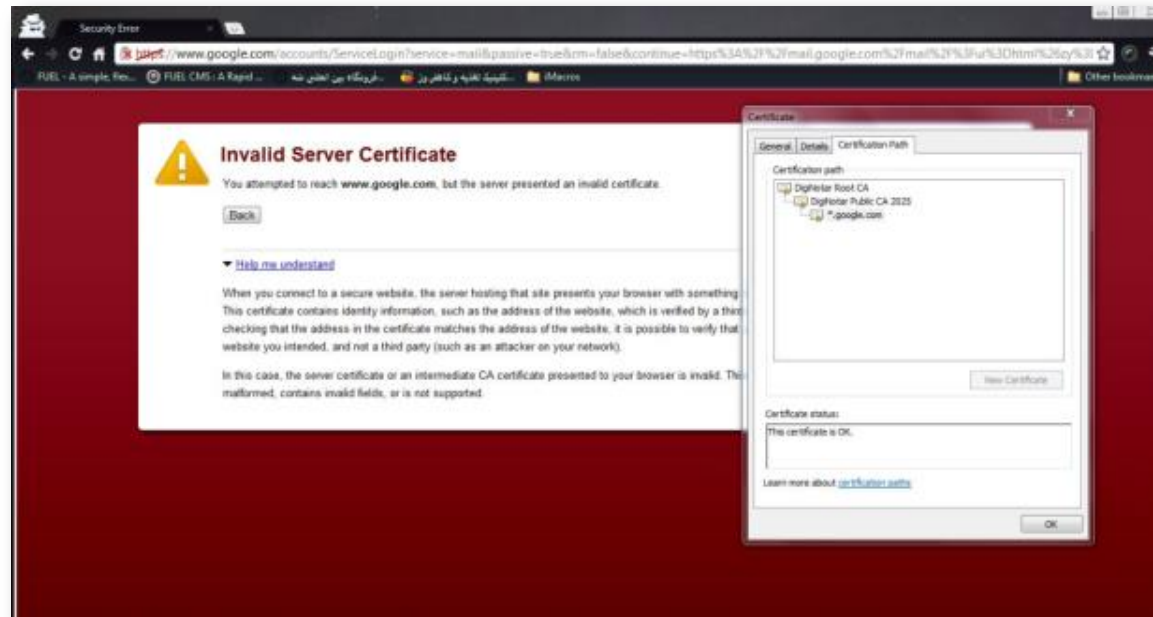
DigiNotar Incident

- DigiNotar is a CA based in the Netherlands that is (well, was) trusted by most OSes and browsers
- July 2011: Issued fake certificate for gmail.com to site in Iran that ran MitM attack...
- ... this fooled most browsers, but...



DigiNotar Incident

- As added security measure, Google Chrome hardcodes fingerprint of Google's certificate
- Since DigiNotar didn't issue Google's true certificate, this caused an error message in Chrome



How secure is the verifier?

- What happens if attacker is able to insert his public root CA key to the verifier's list of trusted CAs?
- More generally, what are the consequences if the verifier is compromised?
- Q: What's the consequences for IoT devices/apps?

The End